

# A non-commutative generalization of $MV$ -algebras

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$MV$ -algebras have been introduced by C. C. Chang as an algebraic counterpart of the Łukasiewicz infinite valued propositional logic. By D. Mundici, every  $MV$ -algebra can be viewed as an interval of an abelian lattice ordered group. Moreover, by J. Rachůnek,  $MV$ -algebras can be considered as special cases of bounded dually residuated commutative lattice ordered monoids.

We introduce a non-commutative generalization of the concept of an  $MV$ -algebra and describe a one-to-one correspondence between generalized  $MV$ -algebras and some bounded non-commutative dually residuated lattice ordered monoids. Further we compare generalized  $MV$ -algebras with intervals of lattice ordered groups and loops.